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Possible dominance of the Maki–Thompson process in the fluctuation conductivity of Bi-2212 superconducting whiskers

M Truccato¹, A Agostino², G Rinaudo¹, S Cagliero¹ and M Panetta²

 ¹ Dipartimento di Fisica Sperimentale, NIS-Centre of excellence and CNISM UdR Torino Università-Via P Giuria 1, I-10125, Torino, Italy
² Dipartimento di Chimica Generale ed Organica Applicata, NIS-Centre of Excellence and CNISM UdR Torino Università - C.^{so} Massimo D'Azeglio 48, I-10125, Torino, Italy

E-mail: truccato@to.infn.it

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Abstract

We report the measurement of the *a*-axis fluctuation conductivity in zero field for $Bi_2Sr_2CaCu_2O_{8+x}$ microcrystals. A complete geometrical characterization allows us to determine the absolute value of the excess conductivity and its temperature behaviour with high accuracy. A careful application of the complete fluctuation theory (Varlamov et al 1999 Adv. Phys. 48 655), which implements a minor correction for the k factor and a suitable procedure for disentangling the influence of the different fit parameters, shows that data interpretations excluding the Maki-Thompson (MT) process are either not consistent with the crystal structure or not self-consistent. On the other hand, a data interpretation including the MT process appears to be both self-consistent and consistent with experimental measurements of the electron dephasing time τ_{ϕ} performed in other metallic or semiconducting systems. According to the latter scheme, the anomalous MT term could be a very important contribution to the excess conductivity throughout the temperature range of interest and thus the s-wave symmetry becomes an important component of the order parameter above $T_{\rm c}$.

1. Introduction

The additional contribution to the normal state conductivity due to Cooper pairs formed above T_c ($\Delta\sigma$, also called paraconductivity or excess conductivity) was theoretically investigated for the first time by Aslamazov and Larkin (AL) [1], who obtained for 2D systems $\Delta\sigma_{AL}^{2D} = e^2/(16\hbar d\varepsilon)$, where $\varepsilon = (T - T_c)/T_c$ and d is the thickness of the 2D layer. Soon after,

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